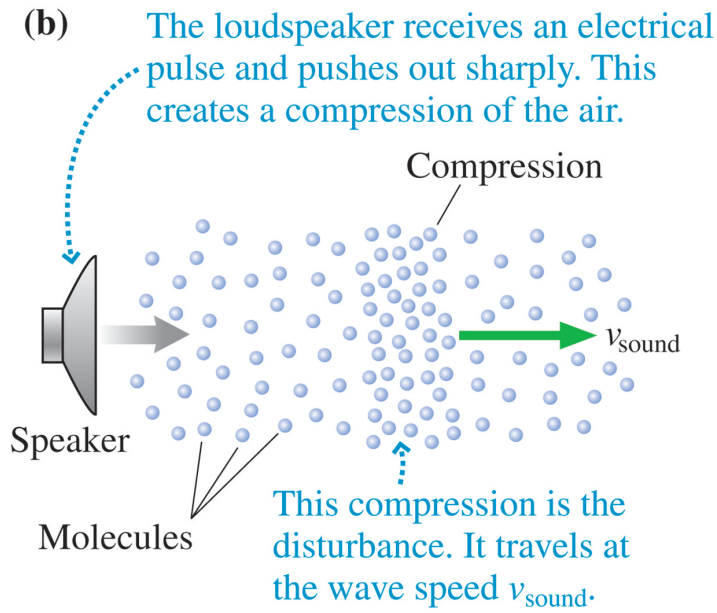


15.4 Sound and Light Waves

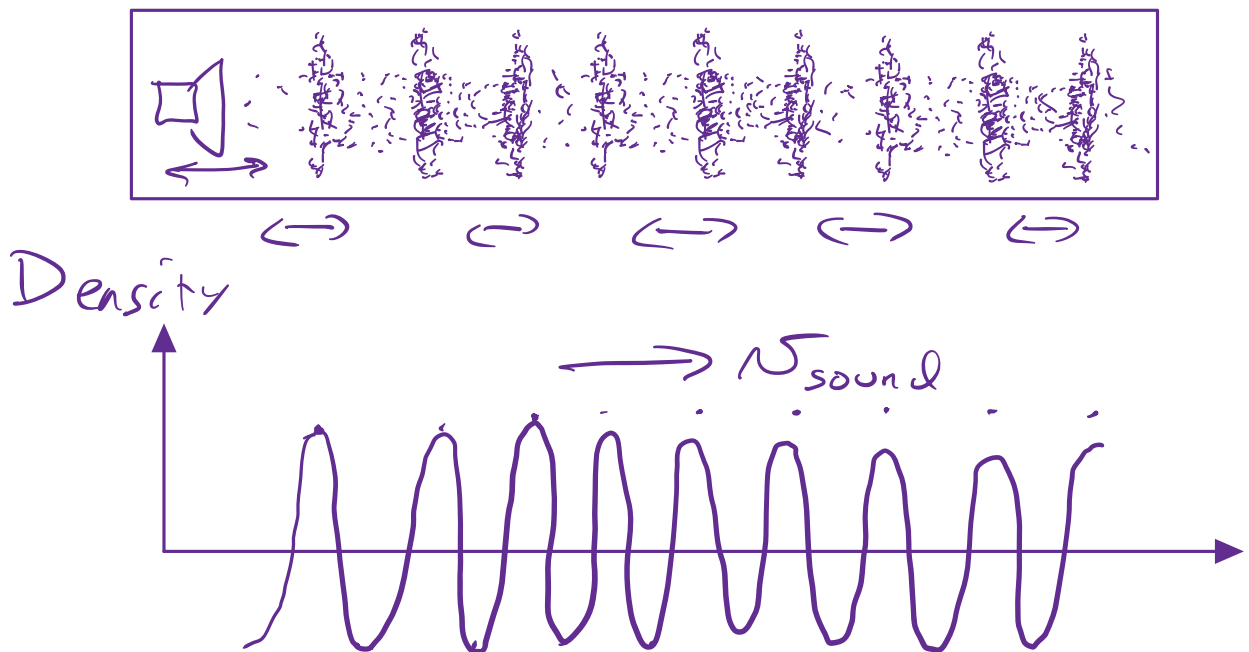
Look at 2 specific types of waves, sound and light. Sound: a longitudinal wave:



See also video Figure 15.4.

Particles move back and forth.

Cartoon:



Recall v is set by the medium
(e.g. 343 m/s ordinary room air)
 f is set by speaker going back and
forth. λ is set by

$$v = \lambda f$$

$$\lambda = \frac{v}{f} \quad \text{Eg Middle C,}$$

$$f \approx 262 \text{ Hz}$$

$$\lambda = \frac{v}{f} = \frac{343 \text{ m/s}}{262 \text{ Hz}} \approx 1.31 \text{ m}$$

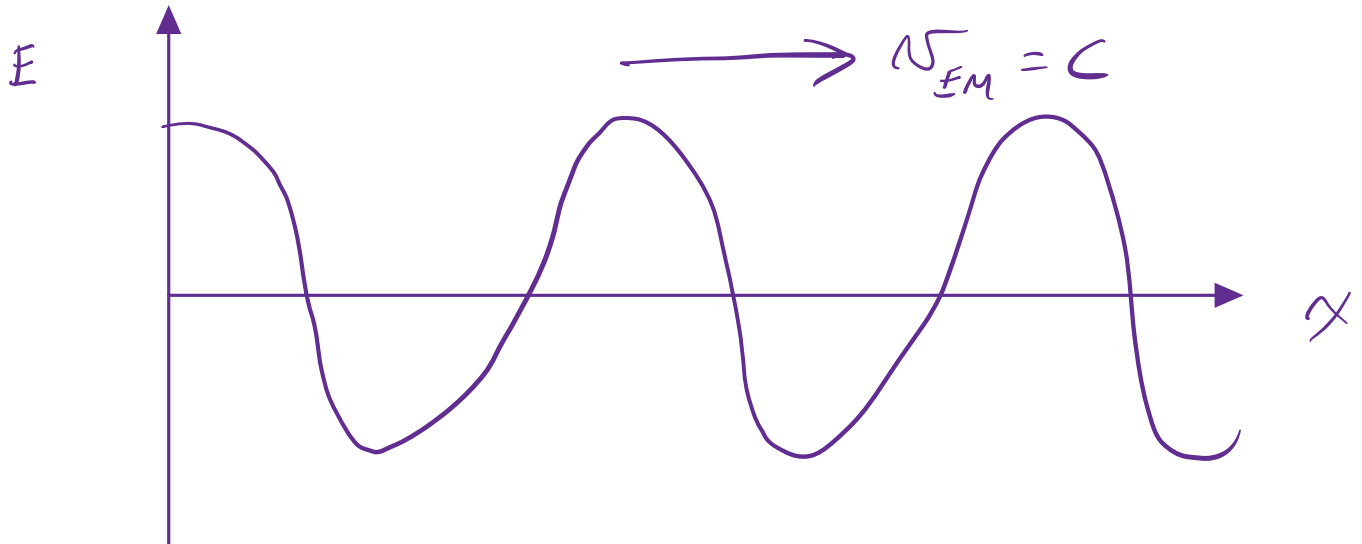
Higher frequency \Leftrightarrow shorter wavelength

Electromagnetic waves

(more in ch. 35)

- Oscillations in the Electric and Magnetic fields.

- Transverse



Speed in vacuum = c

$$c = 299\,792\,458 \text{ m/s}$$

$$c \approx 3.00 \times 10^8 \text{ m/s in vacuum.}$$

We will see $c = \frac{1}{\sqrt{\mu_0 \epsilon_0}}$, i.e. it

depends on the physics of what's waving, (speed in a medium, such as glass, is lower).

λ, f can cover a wide range.

e.g. red HeNe laser

$$\lambda = 632.8 \times 10^{-9} \text{ m}$$

$$c = 3.00 \times 10^8 \text{ m/s}$$

$$c = \lambda f \Rightarrow f = \frac{c}{\lambda}$$

$$f = \frac{3.00 \times 10^8 \text{ m/s}}{632.8 \times 10^{-9} \text{ m}} = 4.74 \times 10^{14} \text{ Hz}$$

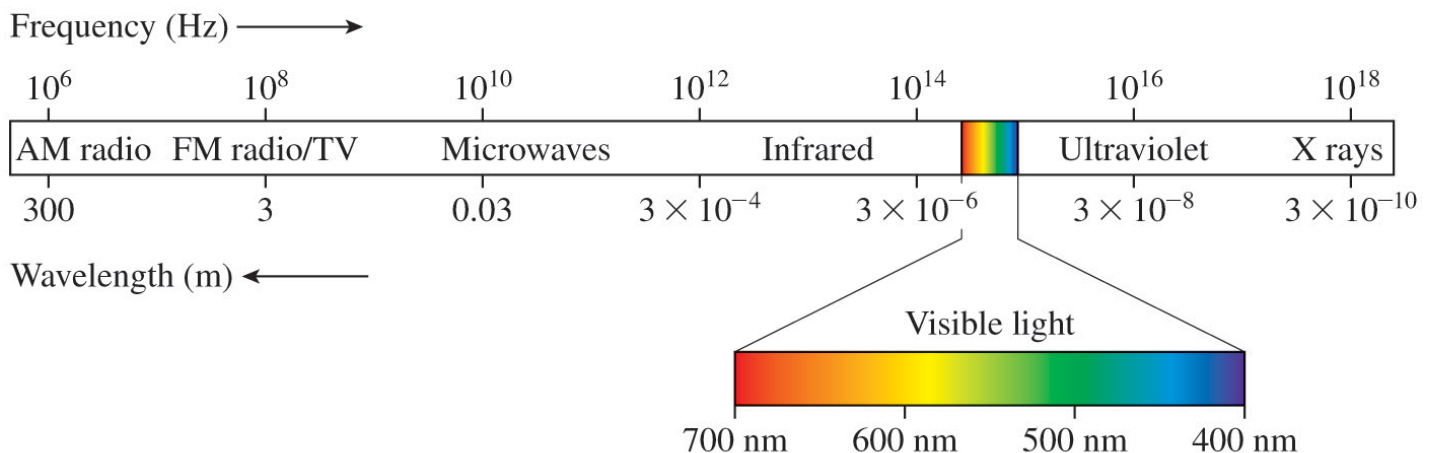
e.g. FM Radio - 99.9 - The Hawk

$$f = 99.9 \text{ MHz} = 99.9 \times 10^6 \text{ Hz}$$

$$c = 3.00 \times 10^8 \text{ m/s}$$

$$\lambda = \frac{c}{f} = \frac{3.00 \times 10^8 \text{ m/s}}{99.9 \times 10^6 \text{ Hz}} = \underline{\underline{3.00 \text{ m}}}$$

The Electromagnetic Spectrum:



Waves transport energy. The most useful characterizations are
 P =Power and I =Intensity.

$$P = \text{Power} = \frac{\text{Energy}}{\text{Time}}. \text{ Units: } \frac{\text{J}}{\text{s}} = \text{Watts} = \text{W}.$$

$$I = \text{Intensity} = \frac{\text{Power}}{\text{Area}}. \text{ Units: } \frac{\text{W}}{\text{m}^2}$$

e.g. waves on a string

$$P_{\text{average}} = \frac{1}{2} \mu (2\pi f)^2 A^2 v$$

Don't memorize! Particles move up and down, and that energy is transported by the wave along the string.

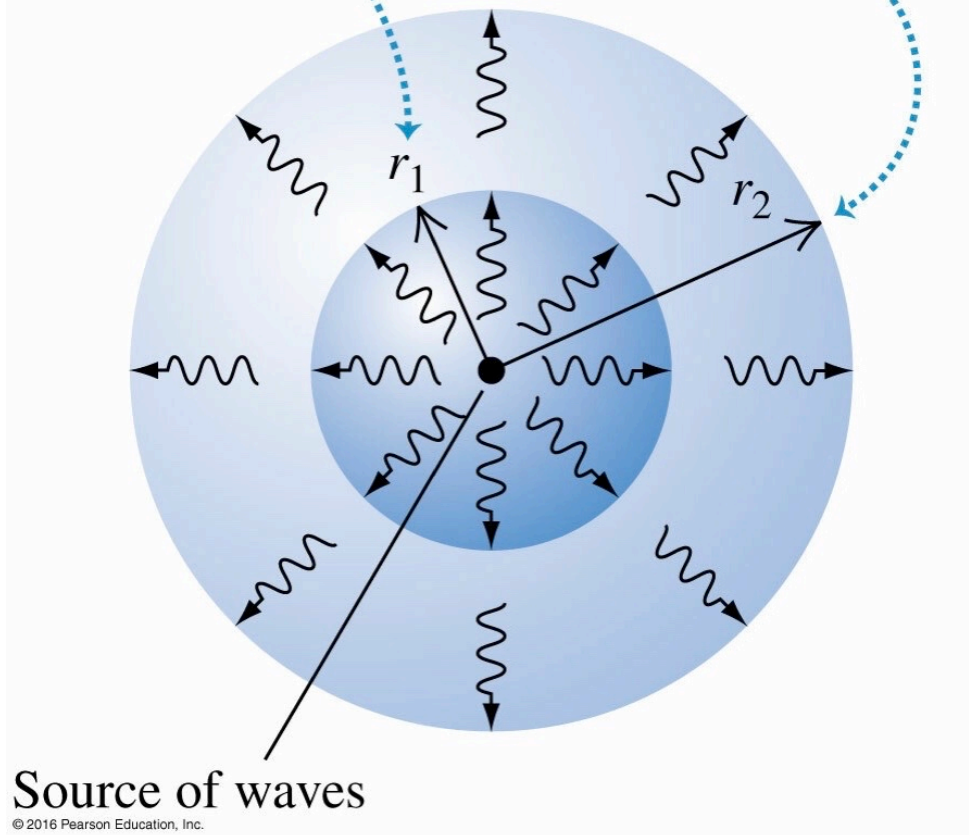
Intensity: how concentrated is that power?

$$I = \frac{P}{\text{Area}}.$$

Waves that spread out in 3D:

At distance r_1 from the source, the intensity is I_1 .

At a greater distance $r_2 > r_1$, the intensity I_2 is less than I_1 : The same power is spread over a greater area.



Area = surface area of a sphere
 $A = 4\pi r^2$

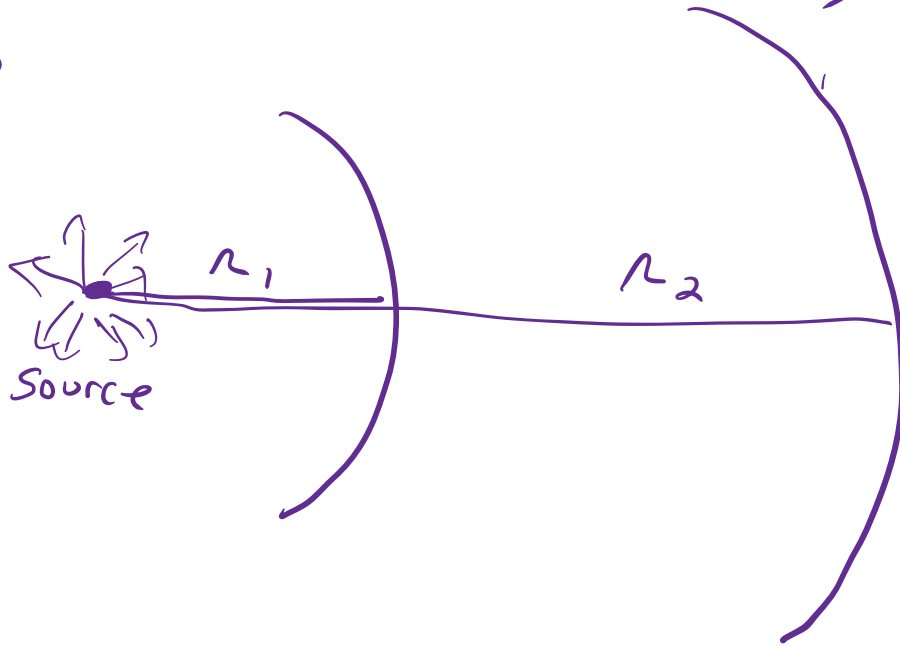
∴

$$I = \frac{P}{4\pi r^2}$$

inverse square law

See Example 15.9

Useful in ratios, comparing intensities at 2 distances, r_1 and r_2



$$\frac{I_2}{I_1} = \frac{P/4\pi r_2^2}{P/4\pi r_1^2} = \frac{r_1^2}{r_2^2} = \left(\frac{r_1}{r_2}\right)^2$$

If you double r , I goes down by a factor of $(2)^2 = 4$.

See Example 15.10

(Mars rover solar panels).

Typical #'s :

sunlight above Earth's atmosphere

$$I \sim 1400 \text{ W/m}^2$$

Earth's surface, sunny day

$$I \sim 1000 \text{ W/m}^2$$

Earth's surface, averaged

$$I \sim 200 \text{ W/m}^2$$

This limits how much energy is available for solar power.

e.g. Replace a coal-fired power plant with solar power?

Eddystone unit #1 (Philadelphia)

$$P = 325 \text{ MW} = 325 \times 10^6 \text{ J/s}$$

Replace by solar panels with 18% efficiency. How big an array do you need?

Wanted $P = 325 \text{ MW}$

Given $I = 200 \text{ W/m}^2$

$e = 18\%$

$$P = e I A$$

$\begin{matrix} \uparrow & \uparrow \\ \frac{\text{W}}{\text{m}^2} & \text{m}^2 \end{matrix}$

$$A = \frac{P}{eI} = \frac{325 \times 10^6 \text{ W}}{(0.18)(200 \text{ W/m}^2)}$$

$$A = 9.03 \times 10^6 \text{ m}^2$$

This is a square 3 km on a side,
or 2,230 acres.

15.6 Loudness of Sound – OMIT decibel calculations.