

# Phys 238 : Reading .CSV Files With *Mathematica*

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## Getting Started

*Mathematica* remembers definitions, even if you delete them from the notebook. This can sometimes be confusing, so it's often a good idea to simply clear everything and start anew. This is especially true if you use the Evaluation -> Evaluate Notebook menu item.

```
In[*]:= Clear["Global`*"] (* Clear all variable and function definitions *)
```

## Reading a CSV file

It is not always obvious where *Mathematica* will look for data files or export graphs. It is often useful to keep your data in the same directory as the notebook. The following command sets the default directory to be the same as the directory for this notebook.

```
In[*]:= SetDirectory[NotebookDirectory[]]  
Out[*]=  
/Users/doughera/238/2025/Mathematica-dev
```

*Mathematica* has many different ways to read and interpret .csv files. One useful way is to Import the data into what *Mathematica* calls a “Dataset”, which is a structured object with it's own special query language. Here's how it works for the pendulum data.

```
In[*]:= fulldata = Import["pendulum-20250129.csv", "Dataset"]
```

```
Out[*]=
```

Latest: Time (s)	Latest: GateState	Latest: Period (s)
0.139623	1	—
0.222001	0	—
1.14797	1	—
1.23138	0	—
2.0743	1	1.93468
2.15672	0	—
3.08287	1	—
3.16634	0	—
4.00907	1	1.93477
4.09148	0	—
5.01748	1	—
5.10137	0	—
5.94394	1	1.93487
6.02656	0	—
6.95224	1	—
7.03638	0	—
7.87866	1	1.93471
7.96142	0	—
8.88701	1	—
8.97117	0	—

rows 1-20 of 2068

To extract the period data, we want to pick {All rows, 3rd column}, but we can also refer to the column by name:

```
In[*]:= data = fulldata[All, "Latest: Period (s)"]
```

```
Out[*]=
```

—	—	—	—
1.93468	—	—	—
1.93477	—	—	—
1.93487	—	—	—
1.93471	—	—	—
1.9345	—	—	—
1.93472	—	—	—
1.93484	—	—	—
1.93484	—	—	—
1.93457	—	—	—
1.93453	—	—	—
1.9349	—	—	—
1.93494	—	—	—
1.93465	—	—	—
1.93491	—	—	—
1.93464	—	—	—
1.93485	—	—	—
1.93472	—	—	—
1.93458	—	—	—
1.93455	—	—	—

elements 1-80 of 2068

For this particular data set, this still has the problem that most of the rows are empty. It is possible to filter them out while importing, but a more generally useful approach is to use the `Select[]` function to select only data elements that are numbers. (`Select` can also be used for much more complex testing, but this is sufficient for here.)

```
In[*]:= data = Select[data, NumberQ]
```

```
Out[*]=
```

1.93468	1.93477	1.93487	1.93471	1.9345	1.93472
1.93484	1.93484	1.93457	1.93453	1.9349	1.93494
1.93465	1.93491	1.93464	1.93485	1.93472	1.93458
1.93455	1.93494	1.93484	1.9346	1.93475	1.93486
1.93475	1.93433	1.93472	1.93473	1.93483	1.93479
1.93477	1.93479	1.93502	1.93468	1.93467	1.93475
1.93484	1.9346	1.93478	1.93488	1.93465	1.93492
1.93464	1.93455	1.93495	1.93492	1.93454	1.93464
1.93495	1.93473	1.93456	1.93471	1.93483	1.93473
1.93456	1.93461	1.93472	1.93492	1.93496	1.93473
1.93464	1.93458	1.93494	1.93477	1.93488	1.9348
1.93488	1.9348	1.93465	1.93471	1.93476	1.93475
1.93484	1.93469	1.93468	1.93477	1.93472	1.9348
1.93475	1.93488	1.9347	1.93486	1.93516	1.93443
1.93474	1.93502	1.93452	1.93472	1.93444	1.93485
1.93459	1.93502	1.93477	1.93466	1.93469	1.93459
1.93483	1.9348	1.9347	1.93497	1.93483	1.93484
1.93478	1.9349	1.93473	1.93471	1.93485	1.93485
1.93467	1.93482	1.93474	1.93478	1.9349	1.93493
1.93452	1.93478	1.93489	1.93463	1.93477	1.93487

elements 1-120 of 516

## Summary of Import:

For this data set, here are the relevant commands,

```
In[143]:=
```

```
SetDirectory[NotebookDirectory[]]
```

```
Out[143]=
```

```
/Users/doughera/238/2025/Mathematica-dev
```

```
In[144]:=
```

```
fulldata = Import["pendulum-20250129.csv", "Dataset"];
```

```
In[145]:=
```

```
data = Select[fulldata[All, "Latest: Period (s)"], NumberQ];
```

(Optional) Save the period data for later importing.

```
In[162]:= Export["pendulum-20250129-period.csv", data]
Out[162]= pendulum-20250129-period.csv
```

---

## Statistical Analysis

```
In[146]:= npts = Length[data]
```

```
Out[146]= 516
```

```
In[147]:= T = Mean[data]
```

```
Out[147]= 1.93466
```

```
In[148]:=  $\sigma T$  = StandardDeviation[data]
```

```
Out[148]= 0.000168487
```

```
In[149]:=  $\delta T$  =  $\sigma T$  / Sqrt[npts]
```

```
Out[149]=  $7.41724 \times 10^{-6}$ 
```

Mathematica can express this as a value with uncertainty using the `Around[ ]` function:

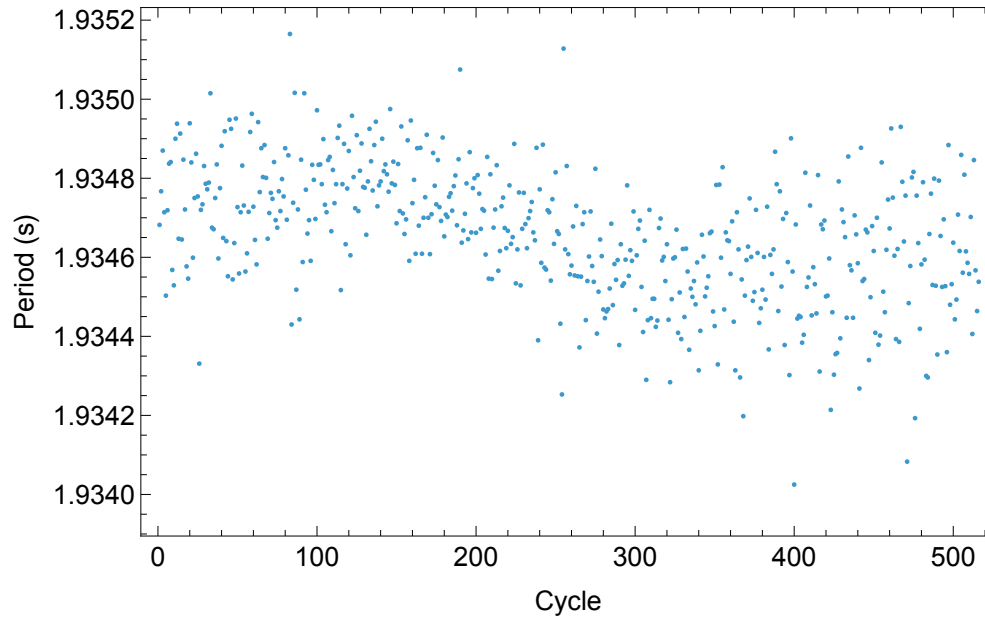
```
In[150]:= Around[T,  $\delta T$ ]
```

```
Out[150]= 1.93465(6 ± 7)
```

In[151]:=

```
Tplot = ListPlot[data, LabelStyle → Larger, Frame → True,  
FrameLabel → {"Cycle", "Period (s)"}, ImageSize → Scaled[0.8]]
```

Out[151]:=



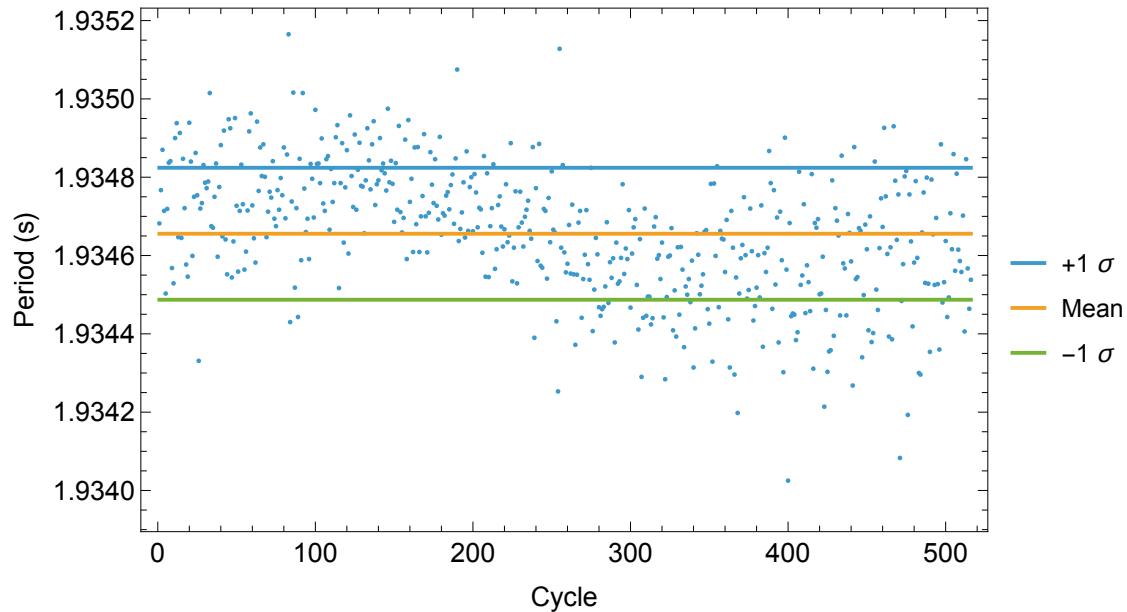
### Further explorations

We can illustrate the  $\pm 1 \sigma$  range on the plot:

In[180]:=

```
TCompPlot = Show[{Tplot,
  Plot[{T +  $\sigma$ T, T, T -  $\sigma$ T},
    {cycle, 1, Length[data]}, PlotLegends → {"+1  $\sigma$ ", "Mean", "-1  $\sigma$ "}]
}]
```

Out[180]=



In[181]:=

```
Export["pendulum-period-plot.pdf", TCompPlot]
```

Out[181]=

```
pendulum-period-plot.pdf
```

We can also count the numbers with a particular range with the `Select[]` function. This function steps through the 'data' array and assigns the special symbol '#' to the current element of the array. (The '#' must also be included at the end of the comparison. See the 'Pure Functions' entry in the on-line help for more information.)

In[174]:=

```
within1 = Select[data, T -  $\sigma$ T ≤ # ≤ T +  $\sigma$ T &];
100. * Length[within1] / npts
```

Out[175]=

```
67.8295
```

In[176]:=

```
within2 = Select[data, T - 2  $\sigma$ T ≤ # ≤ T + 2  $\sigma$ T &];
100. * Length[within2] / npts
```

Out[177]=

```
95.5426
```

```
In[178]:= within3 = Select[data, T - 3  $\sigma$ T  $\leq$  #  $\leq$  T + 3  $\sigma$ T &];  
100. * Length[within3] / npts
```

```
Out[179]= 99.4186
```