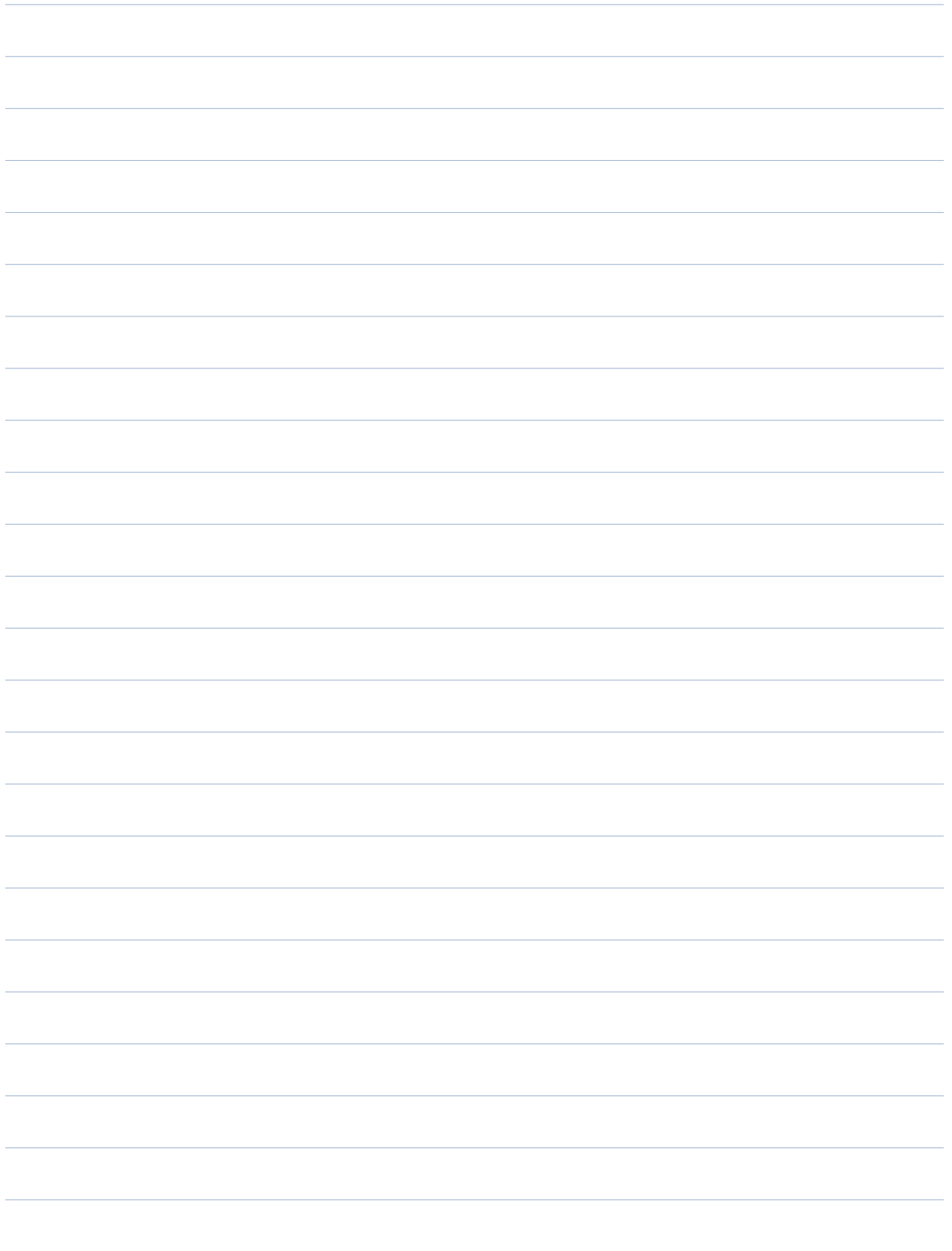
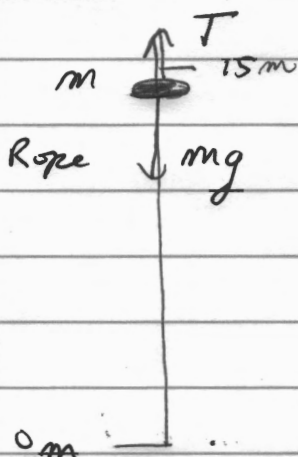


46. A student has to escape from his girlfriend's dormitory through a window that is 15.0 m above the ground. He has a heavy 20-m-long rope, but it will break when the tension exceeds 360 N and he weighs 600 N. The student will be injured if he hits the ground with a speed greater than 10 m/s. (a) Show that he cannot safely slide down the rope. (b) Find a strategy using the rope that will permit the student to reach the ground safely. (OMIT)



### #46 Rope-window

(a)



$$mg = 600 \text{ N} \Rightarrow m = \frac{600 \text{ N}}{9.8 \text{ m/s}^2} = 61.2 \text{ kg}$$
$$\text{Max } T = 360 \text{ N}$$

Try sliding down the rope with

$$T = 360 \text{ N}; \quad a \neq 0.$$

$$\Sigma F = ma$$

$$T - mg = ma$$

$$a = T/m - g = -3.92 \text{ m/s}^2$$

Speed when hitting ground?

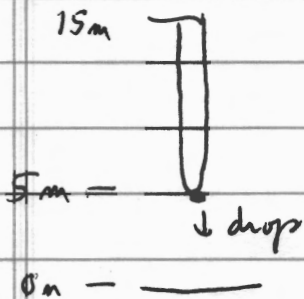
$$v_f^2 = v_0^2 + 2a(\Delta y)$$

$$v_f^2 = 0 + 2(-3.92 \text{ m/s}^2)(0 - 15 \text{ m})$$

$$v_f = 10.85 \text{ m/s} \rightarrow \text{TOO FAST!}$$

(b)

Try doubling up the 20m rope. Then it can take  $2 \cdot 360 \text{ N} = 720 \text{ N}$  and student can slide down at  $a \approx 0$  and drop off bottom of rope.



Free fall from  $y_0 = 5 \text{ m}$

$$v_f^2 = v_0^2 + 2a \Delta y$$

$$v_f^2 = 0 + 2(-9.8 \text{ m/s}^2)(0 - 5 \text{ m})$$

$$v_f = 9.90 \text{ m/s} \Rightarrow \text{Barely OK}$$