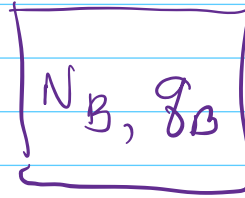
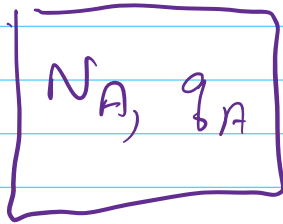


2.3 Interacting Systems

(HW 2.8)

(Examples 2.9 and 2.10)



$N_A = \#$ of oscillators in solid A

$N_B = \#$ " " " " B.

$g =$ total # of energy units $= g_A + g_B$.

Problem 2.9

$$N_A = 3$$

$$N_B = 3 \quad g = 6$$

List all the macrostates and their multiplicity.

$$g_A | \Omega_A | g_B | \Omega_B | \Omega_A \cdot \Omega_B$$

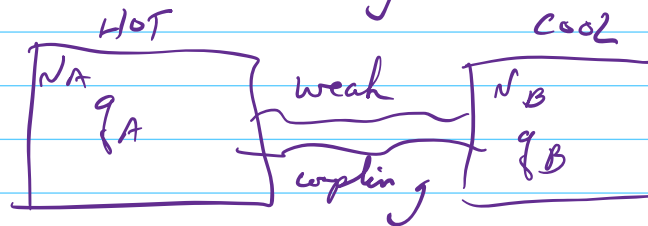
all states have same total g .

Assume: In an isolated system in thermal equilibrium, all accessible microstates are equally probable.

Corollary: we are most likely to observe the microstate with the largest multiplicity.

Duplicate:

If we start off with most of the energy in system A, almost any spontaneous flow of



energy will result in q_A decreasing and q_B increasing, i.e. heat will flow from A

to B due to their temperature difference.

This is one version of the 2nd Law of Thermodynamics: ~~the system~~ An isolated system tends towards the most probable macrostate. Heat flows from hotter to cooler object. (More precise statements later.)

Problem 2.10. As N^{+g} gets larger, these probability distributions become even sharper.

Though it's tempting to explore them more here, we really need to consider more realistic — very large — N values.